elf-consistent GW calculations for molecules

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Quantum chemistry possesses a long list of methods which capture the effects of electron correlations. Unfortunately, these methods are based on a solution of Schrödinger equation which is known to be the harder the more electrons are present in the quantum system [1]. In fact, a "golden standard" of quantum chemistry, the coupled-cluster with single, double and perturbative triple excitations (CCSD(T)) exhibits $O(N^7)$ complexity scaling with the number of atoms N [2]. There is an alternative for the wave-function based methods originating from the solid state physics. It is Hedin's GW approximation for oneparticle Green's function [3]. The computational complexity of Hedin's GW approximation can be as low as $O(N^2)$ in the limit of large number of atoms [4]. This favorable complexity scaling could allow for much larger systems to be treated quantum mechanically. Unfortunately, practical calculations with Hedin's GW approximation are rather computationally expensive. This fact has limited many studies to the so-called one-shot GW approach. One-shot GW ($G_0 W_0$) calculations depend on the starting approximation for the Green's function, and, therefore, do not reveal the true merits of the GW approximation to capture the effects of electron correlations. Only recently self-consistent GW (SCGW) calculations have become affordable [5]. Apart from SCGW calculations, there is an interesting proposal of using GW approximation for computing a oneparticle correlation operator [6]. This, the so-called guasi-particle self-consistent GW approach (QSGW) has been claimed to improve the results of $G_0 W_0$ and gained much attention recently.

The goal of the present work is to compare the performance of SC*GW* and QS*GW* approaches, and of these two methods against well established quantum chemistry methods such as CCSD and CCSD(T) [7]. For the sake of such study we realized both *GW* algorithms using the same numerical implementation. Calculations has been done for the ionization potential of 16 atoms and molecules with the same basis sets of Gaussian functions in SC*GW*, QS*GW* and CCSD(T). We found that self-consistency in both *GW* approaches only marginally improves the G_0W_0 results with a Hartree-Fock starting point. Herewith, SC*GW* tends to underestimate the vertical ionization potential (IP)

with respect to CCSD(T) IPs, while QS*GW* tends to overestimate them. In the figure, we show IP-IP_{CCSD(T)} differences for all considered species computed with the cc-pVTZ basis set. More work is necessary to fully understand and possibly improve SC*GW* and QS*GW* methods.

References

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Figures

